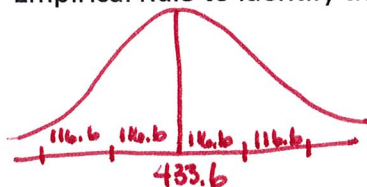


1. The following data represents the amount of snowfall (in inches) received at Mount Washington from the winter of 1996-97 and the winter of 2005-06. Treat the data as a sample of size 10.

399 542 347 381 425

299 358 349 620 616

- a. Determine the mean amount of snowfall. $433.6'' = \bar{x}$
- b. Determine the median amount of snowfall $390''$
- c. Calculate the standard deviation for the amount of snowfall $s = 116.6''$
- d. Calculate the interquartile range (IQR) of the snowfall (show all calculations)
 $542 - 349 = 193$
- e. Assuming that snowfall amounts on Mt Washington are normally distributed, Use the Empirical Rule to identify the interval between which 95% of the data would lie.
- f. Use Chebyshev's Inequality to determine the percent of data that lies between snowfall amounts of 550 inches and 565 inches given a mean of 557.5 and a standard deviation of 2.5.



$$1 \text{ sd.} = 68\%$$

$$2 \text{ sd.} = 95\%$$

$$3 \text{ sd.} = 99\%$$

$$200.4'' - 666.8''$$

$$\begin{array}{c} 550 \quad 557.5 \quad 565 \\ \underbrace{\hspace{1cm}}_{7.5} \quad \underbrace{\hspace{1cm}}_{7.5} \\ \underbrace{\hspace{1cm}}_{3 \text{ sd}} \quad \underbrace{\hspace{1cm}}_{3 \text{ sd}} \\ K=3 \end{array}$$

$$1 - \frac{1}{K^2} = 1 - \frac{1}{9} = \frac{8}{9} = 89\%$$

2. The following data represents the length of time (in minutes) it takes to ride the train from home to work.

Time(minutes)	^{L₂} Frequency	^{L₁} $\frac{x_i}{f_i}$	^{L₃} $\frac{x_i \cdot f_i}{f_i}$	^{L₄} $\frac{x_i^2 \cdot f_i}{f_i}$
40-49	8	45	360	16200
50-59	44	55	2420	133100
60-69	23	65	1495	97175
70-79	16	75	1200	90000
80-89	107	85	9095	773075
	<u>198</u>		<u>14570</u>	<u>1109550</u>

- a. Approximate the mean commute time.

$$\mu = \frac{\sum x_i f_i}{\sum f_i} = \frac{14570}{198} = 73.6$$

- b. Approximate the standard deviation for the commute times.

Changed

$$\sigma^2 = \frac{\sum x_i^2 f_i - \frac{(\sum x_i f_i)^2}{\sum f_i}}{\sum f_i} = \frac{1109550 - \frac{(14570)^2}{198}}{198} = 188.909$$

$$\sigma = 13.7444$$

$$\sigma = 13.7$$

3. Pascal has taken both the SAT and ACT for admission to college. Pascal scored a 610 on the SAT math and 27 on the ACT math. The SAT has a mean math score of 515 with a standard deviation of 114 and the ACT has a mean math score of 21 with a standard deviation of 5.1. On which test did Pascal score higher?

$$z = \frac{610 - 515}{114} = 0.83 \quad z = \frac{27 - 21}{5.1} = 1.17$$

Better on ACT

4. For skewed data, which measure of central tendency would be the best measure of the "center" of the data set? Explain.

Median: it is resistant to extreme values (outliers)

It consistently approximates the center of the data set

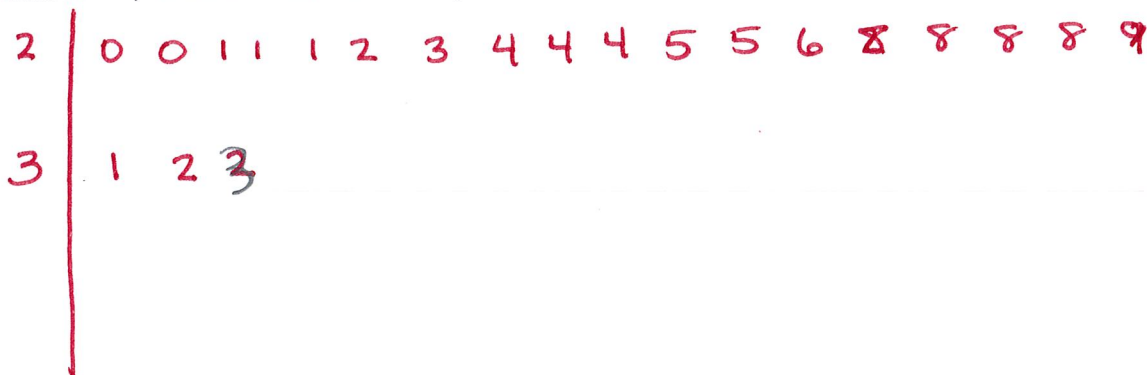
- $$\begin{aligned} H &= 38 \\ L &= 20 \\ Q_1 &= 21.5 \end{aligned}$$

$$M = 25$$

Q3 = 28

28
28 28 29
31, 32, 32

~~32~~ ~~23~~ ~~28~~ ~~28~~ ~~28~~ ~~29~~ ~~25~~ ~~20~~ ~~25~~
~~21~~ ~~24~~ ~~21~~ ~~24~~ ~~21~~ ~~26~~ ~~28~~ ~~24~~ ~~33~~
~~31~~ ~~22~~ ~~20~~
 21 21 21 22 23 24 24 25 25 26
 (215) M



- ~~$$\frac{9.5}{21} = 45^{\text{th}} \text{ percentile}$$~~

$$X = \frac{\# \text{ of values below } 7}{n} \times 100\% \quad X = \frac{7}{21} \times 100$$

$$X = 33\%$$

8. Jennifer wishes to create a new hamburger recipe for her restaurant. She decides to combine 2 lbs of ground beef (cost \$2.70/lb), 1 lbs of ground pork (cost \$1.30/lb), and $\frac{1}{2}$ pound of ground turkey (\$1.80/lb). What is the cost per pound of her hamburger mixture?

	<u>Weight</u>	<u>\$</u>	
Gr. Beef	2	2.70	= 5.40
Gr Pork	1	1.30	= 1.30
Gr. turkey	.5	1.80	= .90

$$\frac{7.60}{3.5} = 2.17$$

9. A study is done to determine the relationship between a driver's age and the number of accidents he or she has over a one-year period. The data are shown in the table below.

Driver's							
Age, x	16	24	18	17	23	27	32
No. of							
Accidents, y	3	2	5	2	0	1	1

a. Draw a scatter plot.

b. Compute a correlation coefficient, r . Interpret the meaning of the correlation coefficient.

$$r = -.61 \quad \text{A moderately strong neg. relationship}$$

c. Determine the regression line equation.

$$y = -.17x + 5.8$$

d. Plot the regression line on the scatter plot

e. If there is a significant relationship, predict the number of accidents of a driver who is 28.

$$y = -.17(28) + 5.8 = 1.04 \approx 1 \text{ accident}$$

f. Calculate the residual for a driver who's age is 17 and explain its meaning.

$$\text{residual} = \text{actual} - \text{predicted} = 2 - 1 = 1$$

g. Compute the coefficient of determination (r^2) and explain its meaning.

$$r^2 = .37$$

37% of the relationship that exists between age and no. of accidents is explained by the regression equation
63% is due to other factors